Nam	e:		NC Math 3 Unit:	Day:
Objective: Divide Polynomials using Synthetic Division and explore the Remainder Theorem.				
	1) Use long division to divide:	2)	Use your calculator to evaluate P(-3/2	2) for the
	$(2x^2 - 17x - 38) \div (2x + 3)$		function $P(x) = 2x^2 - 17x - 38$ .	
			P(3/2) =	
ion			F (-3/2) -	
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	Steps to Synthetic Division:			
	<ol> <li>Make sure the polynomial is in standard form.</li> <li>Plug 0 place holders in for any missing terms</li> </ol>			
	3. Set the binomial equal to zero solve, and put	the	at number outside (left) of the synthetic	· hox
	<ol> <li>Divide using synthetic methods (see examples).</li> </ol>			
S:	5. Rewrite the ending numbers as a Polynomial starting from right to left:			
ote	Remainder at the end, loose number, x-term, $x^2$ -term, and so on.			
Z	Determine whether a binomial is a factor of the polynomial:			
	Run through Synthetic division. If the remainder is 0, it is a factor of the polynomial. If the			
	Remainder Theorem:			
	Set the binomial equal to zero, plug that number in for every x, and the output you get is the			
	remainder.			
	Use Synthetic division to divide the polynomials.		-	
	1. $(x^3 + 3x^2 - x - 3) \div (x - 1)$ 2.	(2	$(^3 + 27) \div (x + 3)$	
	3. Use Synthetic and then <b>factor</b> to find the 4.	Ar	e the following binomials factors of	
		()	$x^{2} + 4x^{4} + x - 6)_{2}$	
	$f(r) = 4r^3 = 12r^2 = r + 2(r - 2)$	X	:+1	
	f(x) = 4x - 12x - x + 3, (x - 3)			
s:				
ole		х	+3	
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	E. The remainder where dividing where 0.0.1 Over the	L		
	5. The remainder when dividing $x^3 + 2x^2 + 3x + k$ by $(x+1)$ is 2. What is the value of $k^2$			
	6. Explain the connection between questions 1 and 2 from the foundations section of foday's notes. (Hint: discuss Remainder Theorem).			
	(nini. discuss kernainder meorem!)			

Use either method to divide and factor.  
(
$$x^3 - 4x^2 + x + 6$$
) + ( $x - 2$ )  
( $x^3 - 4x$ ) + ( $x + 2$ )  
Use either method to divide. Is if a factor of the polynomial?  
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